

## CONFIDENCE INTERVALS

Here we will calculate and plot 95% confidence intervals (CIs) for some of our helicopter data and use CIs to make some inferences. Then we evaluate the *post hoc* power of our experiment and [more usefully] *a priori* power for a subsequent experiment.

### **Confidence Intervals**

A confidence interval is key to inference because it describes a range of expected values. A 95% confidence interval (which is standard) says there is a 95% probability (or that we are 95% confident) that the mean appears within those limits. And thus values outside those limits are improbable for that distribution.

*Example 1:*  $0.5 \pm 0.7$  (mean  $\pm$  95% CI) includes zero in that interval. The mean is not significantly different from zero.

*Example 2.* A mean =  $1.2 \pm 0.3$  (95% CI). A value of 0.8 lies outside that CI, and is unlikely ( $p \leq 5\%$ ) to be obtained with new samples of the data.

**Confidence intervals should be your default error bar** as opposed to standard errors, standard deviations, etc. Why? Because they translate directly to inference – consider two means with 95% CIs, where CI's do not overlap. What can you infer? Could you say anything like that if SEs or SDs were graphed instead?

1. Import and attach our helicopter data from  
<https://sciences.ucf.edu/biology/d4lab/wp-content/uploads/sites/125/2019/09/helicopter-data.txt>
2. then go to this link using your web browser:  
<http://sciences.ucf.edu/biology/d4lab/wp-content/uploads/sites/125/2017/01/CIs.R.txt>  
then copy and paste that file into a new script file and save as an R script called CIs.R  
(This works around a !@#\$\$ security block to upload an R file into the campus server)
3. Run commands in that file, following along to the comment line instructions (#...). BUT NOTICE: You need to edit the file to match OUR data. For example, this year the Design column was called ID. This is practice for re-using scripts (that you make or get online).

What does the plot of means and 95% CIs suggest about our helicopter data?

How would interpretations differ if you use SDs or SEs?

Which is more honest and best matches other stats we have done?

*Now try this on some other data set we have played with in class – cars, wheat, whatever.*

**It is really important that you present variation properly and plainly. And that you know how to interpret overlapping error bars, means, etc. And USE 95% CIs! We will later use 95% CIs for error around regressions, too.**