

Copters! One last time! Woo hoo!

<http://sciences.ucf.edu/biology/jenkins/wp-content/uploads/sites/115/2014/04/copter-data-F16.txt>

1. We analyzed our copter data before with `lm`, where we fussed with transformations but then assumed normality and homogeneity of variance. Analyze the same basic model again ( $\text{time} \sim \text{length} * \text{fold} + \text{group} + \text{step}$ ), but use a `glm` (or `glmmadmb`) to permit other distributions. Explain which distribution is most plausible, and include a residuals plot to help justify your choice. [3 pts]
2. Now carry forward with that distribution model, but change the way you treat the effect of steps. We handled step as a covariate in the past (and above), which essentially assumes a common effect of step on all treatments (i.e., equal slopes among steps). But what happens if you handle it as a random effect? Compare that mixed effect model to the `glm` you chose above. Explain your result in terms of how the experiment worked. [2 pts]

A new data set: [fertilizer.txt](#)

<http://sciences.ucf.edu/biology/jenkins/wp-content/uploads/sites/115/2014/04/carrots.txt>

3. Six carrot plants (ID 1-6) were grown from seed hydroponically (i.e., in water) that had fertilizer added or not (control). Thus  $N = 12$ , despite 60 rows of data. Roots of each plant were measured (cm) for length every two weeks for 10 weeks, when the experiment ended. Analyze this simple repeated-measures experiment and tell us: did fertilizer significantly increase carrot root length? If so, how much did fertilizer increase carrot root length? [3 pts]
4. Now analyze the carrot experiment as if you had not realized this was a repeated-measures design – as if every week's measurements were independent samples of different plants. How would your answer to #3 above change? Why the difference? [2 pts.]